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Multi-Agent Reinforcement Learning for Cooperative Edge Caching in Internet of Vehicles

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Flourishing Vehicular Applications

Visions: The traditional technology-driven transportation system is evolving from an era of providing simple transportation services into a more powerful data-driven intelligent era.



Especially for some delay-sensitive contents (e.g., video, image-aided navigation and live traffic information ...)

- The vehicular applications require vehicles to access huge amount of Internet data.
 - Significant redundant traffic loads
 - Iimited channel bandwidth pose challenges for massive content delivery
 - Considerable delay for content delivery

From Cloud to Edge

Mobile Cloud Computing (MCC)



Some Limitations of Cloud Computing :

- Cloud servers are spatially far from vehicles -> The rapid increase in cost and latency
- **Cannot** guarantee the tight Quality of Service (QoS) of delay-sensitive contents
- The bottleneck of massive content delivery -> The utilization efficiency of the channel bandwidth is notably reaching its theoretical boundary.

Edge Caching

Stemming from the studies :



Content Delivery Transmission Delay Privacy & Security

Discovery: only a few contents are repeatedly downloaded upon request from vehicles, whilst the remaining large portion of the contents impose rather infrequent access demands.

• Edge Caching:

To alleviate the redundant traffic and lower the content access latency in IoVs, which caches contents in close proximity to vehicles by utilizing the storage resources at intermediate Roadside Units (RSUs).



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China Three Gorges University

Network Architecture

 A cooperative edge caching-supported IoV architecture with an MBS and N small cells, each of which with a RSU:

Network Infrastructure:

- An MBS connected with the service providers.
- *N RSUs* can be interoperable with each other and connected to the *MBS*.
- *F* available contents, *s*_f denote the size of content *f*.
- Each RSU is endowed with limited available cache capacity.
- Content popularity ρ_f obeys the Mandelbrot-
 - Zipf distribution.



Content Delivery Model

 Cooperative RSUs or MBS will incur certain costs for delivering the requested contents to the vehicles.



Fig. 2. Content Delivery Process in Hierarchical Networks.

Routing Decision & Cache Replacement

The decision of any local RSU i for the requested content f can be represented by the binary decision variable

$$a_{f,i,j}^{t} \in \{0,1\}, \quad \forall j \in \mathcal{N} \cup \{N+1\} \quad \begin{cases} a_{f,i,i}^{t} = 1 \\ a_{f,i,j}^{t} = 1 \quad (j \in \mathcal{N} \setminus \{i\}) \\ a_{f,i,N+1}^{t} = 1 \end{cases}$$

Q: Whether and which content should be replaced with the new ones when the cache capacity is fully occupied?

The content replacement control in RSU i:

$$\boldsymbol{c_{f,i,i}^{t}} = \left[c_{1,i,i}^{t}, c_{2,i,i}^{t}, \dots c_{F,i,i}^{t} \right]$$





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Vehicular Edge Network Architecture

 We aim to minimize the long-term overhead of content delivery in the system, the corresponding problem can be formulated as:



Challenges

Challenges

- Only the local sub-optimal solution can be obtained in the system, not consider global optimal solution.
- The caching decision variable is dynamically changing, and the objective function is NP-hard undoubtedly.
- The feasible set of the problem is not convex and the complexity is very enormous.

Proposed solution



State, Action and Reward Definition

- We approximate the cache replacement process in an available RSU as a Markov Decision Process (MDP).
 - **State:** the current cache status $a_{f,i,i}^t = (a_{1,i,i}^t, a_{2,i,i}^t, \dots, a_{F,i,i}^t)$ respect to the contents in a RSU; the arrived content requests $q_{i,r}^t$ in the current time slot t
 - Action: the decision $a_{f,i,j}^t$ of a RSU for the current requested contents; the content replacement control $c_{f,i,i}^t$ in a RSU in slot t.
 - **Reward:** To minimize the long-term overhead of content delivery in system, we use negative exponential function to transform the problem.

$$\mathcal{R}(\boldsymbol{z_t^i}, \boldsymbol{d_t^i}) = e^{-\sum_{f=1}^{\mathcal{F}} \sum_{j=1}^{N+1} \rho_f \boldsymbol{a_{f,i,j}^t} C_{i,j}}$$





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Reinforcement Learning : Q-Learning

The iterative formula of Q-value of each-step can be obtained as follows:

Repeat until learning is stopped

 $New Q(z_t, d_t) = Q(z_t, d_t) + \varepsilon \left[r(z_t, d_t) + \varphi \max_{d_t} Q(z_{t+1}, d_{t+1}) - Q(z_t, d_t) \right]$

Bellman Equation

Q(z_t, d_t) : the Q value of admissible action d_t under the state z_t
ε ∈ (0, 1) : learning rate parameter
z_{t+1} : the new state
max Q(z_{t+1}, d_{t+1}) : estimate of optimal future value
r(z_t, d_t) : immediate reward after executing an admissible action d_t
Discounting factor φ : indicate the importance of the predicted future rewards

Markov Game Model

- Conventional RL has not considered the influence of environment by other agents when a certain agent interacts separately.
- Extend the MDP to a multi-agent system, and further formulate the problem as a Markov (a.k.a. Stochastic) Game (MG) model.
- Definition of Markov Game

$$\{N, \mathcal{Z}, D_1, \cdots, D_N, p, r_1, \cdots, r_N, \gamma\}$$

Consider joint action Avoid the bias in individual decision

- N: the number of agents
- S: system state space
- D_i $(i = 1, \dots, N)$: a discrete action space of *i*-th agent, the joint action space of all agents can be represented as $\mathcal{D} = D_1 \times \dots \times D_N$
- $\begin{array}{l} \ p: \mathcal{Z} \times \mathcal{D} \times \mathcal{Z} \rightarrow \ [0,1]: \textit{the state transition probability map, the state make the transition based on a probability } p_{Z_t Z_{t+1}}(d_t^1, \cdots d_t^N) \end{array}$
- − $r_i: \mathcal{Z} \times \mathcal{D} \rightarrow \mathbb{R}$: the reward function for agent i

Distributed MARL based Method

Nash equilibrium strategy: an optimal joint strategy of the system



 Any agent cannot achieve a higher reward by changing to any other strategy

 $V_i(s, \pi_1^*, \cdots, \pi_i^*, \cdots, \pi_N^*) \ge V_i(s, \pi_1^*, \cdots, \pi_i^*, \cdots, \pi_N^*) \qquad \forall \pi_i \in \Pi_i$

 At time slot t, each agent executes its action under the current state. After that, it observes its own immediate reward, all other agents' actions and rewards, as well as the new state.

> maintains a model of other agents' Q-values performs updates over its own Q-values simultaneously.

Distributed MARL based Method

• Redefine Q-function: $Q_i(z_t, d_t^1, \dots, d_t^N)$

when all agents follow a specified joint Nash equilibrium strategy

Nash Q-function for agent i: $Q_i^*(z_t, d_t^1, \dots, d_t^N)$

- The stage games $(Q_t^1(z_{t+1}), \dots, Q_t^i(z_{t+1}), \dots, Q_t^N(z_{t+1})))$ will be formed with the Nash equilibrium strategies $\pi_1^*(z_{t+1}), \dots, \pi_i^*(z_{t+1}), \dots, \pi_N^*(z_{t+1}))$ under certain restrictions.
- The iterative formula of Q-value of agent i in each time slot can be obtained as:

Agent can derive the Nash equilibrium and choose its actions accordingly based on learned Q-values.

$$Q_{t+1}^{i}\left(z_{t}, d_{t}^{i}, \cdots, d_{t}^{N}\right)$$

= $(1 - \beta_{t}) \cdot Q_{t}^{i}\left(z_{t}, d_{t}^{1}, \cdots, d_{t}^{N}\right) + \beta_{t}\left[r_{t}^{i} + \gamma \operatorname{Nash} Q_{t}^{i}\left(z_{t+1}\right)\right]$





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For performance comparison, we introduce the following three benchmark algorithms:

- Independent RL (IRL): Each agent learns and makes decision separately through the repeated interaction, without considering the influence of other agents.
- Least Frequently Used (LFU): When the cache capacity of each RSU is full, replace the content with the least requested times firstly.
- Least Recently Used (LRU): When the cache capacity of each RSU is full, replace the least recently used content firstly.



The convergence performance:

Fig. 3. Content access cost versus the number of epsiodes.



Compare the performance metrics: (1)The total access cost (2)Edge hit rate (3)Average delay

The impact of cache capability of RSUs:



Fig. 4. (a) Content access cost versus the cache capacity of RSUs. (b) Edge hit rate versus the cache capacity of RSUs. (c) Average Delay versus the cache capacity of RSUs.

The impact of the number of contents in the system:







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- □ Presented a cooperative edge caching architecture for IoVs.
- Formulated the optimization problem to minimize the long-term overhead of content delivery.
- **Extended the MDP to the context of multi-agent system.**
- □ Formulated the process as a Markov Game (MG) model.
- □ A distributed MARL based edge caching method.
- Future work

✓.....

- ✓ The exponential increase of state-action space
 - -Improvement, Deep Neural Networks, ...
- ✓ Exploit a more complex system
 - -User mobility, Vehicle-to-Vehicle caching, ...









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